## Designing Intelligent Nano/Microbots: Synthetic Active Matter

- **1. Introduction to Synthetic Active Matter**
- 2. Powering Active Particle and Fluid Motion
- 3. Collective Behavior of Autonomous Nano/Microbots

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### Grand challenge in science: Mastering energy and information at the nano/microscale

Create technologies that rival those of living things:

**Requires designing** *intelligent systems* 

Use free energy of chemical fuels to fabricate organized systems driven *far from equilibrium* 

**Intelligence requires:** 

- Information
- Ability to process (act on) information information processor

**Information: Gradient – Chemical, Light** 

**Information processor: Self-powered object** 

Result of Information + Information Processing: Collective/Emergent behavior e.g., Spatial and/or Temporal Assemblies

**Both** information and information processor require continuous input of energy

**Required design elements:** 

- Autonomous movement through catalytic energy harvesting
- Control of directionality through chemical/light gradients
- Inter-bot communication via chemical signals

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#### **APPLICATIONS OF AUTONOMOUS NANO/MICROBOTS**

- Motors for nanomachines and biological cells
- Roving sensors
- Active delivery vehicles (versus passive diffusion)
- Patterns and arrays by directed deposition of materials
- Pumps and valves for nanofluidic and bio-chip devices
- Channel-less fluid flow

CATALYSIS IS THE ENGINE OF NANOTECHNOLOGY

## **Gradient-based Motion**

#### **External Fields**



- Many types of fields: (*magnetic, chemical, thermal, electric*)
- Energy applied from external source
- Ensemble behavior of all particles Anderson, Ann. Rev. Fluid. Mech., **1989**

#### **Self-generated Fields**



- Catalytically generated fields: (chemical, thermal, electric)
- Energy harvested locally
- Particles move independently
- Catalysis and asymmetry Mallouk, Sen, *Chem.—Eur. J.*, 2005

#### **Powering Motion by Chemical Reactions**

Consider the archetypal catalytic reaction: the hydrogenation of ethene to ethane.

$$H_2C = CH_2 + H_2 \xrightarrow{catalyst} H_3C - CH_3 \Delta H = 135 \text{ kJ/mole}$$

The enthalpy change corresponds to 2.2 x 10<sup>-19</sup> Joules per turnover

To move a spherical catalyst particle of radius 10 nm a distance of 100 nm in 1 second (i.e., a speed of 100 nm/sec)

Energy required = force x distance

Force =  $6\pi\mu RV$  (Stokes Law) where R is the radius of the sphere, V is the speed and  $\mu$  is the dynamic viscosity

In a viscous medium like water (dynamic viscosity ~10<sup>-3</sup> Pa.sec), the energy required for the given movement is  $1.9 \times 10^{-24}$  Joules

This is 5 orders of magnitude smaller than the energy obtained in just 1 turnover in an archetypal catalytic alkene hydrogenation! Turnover rate is also important. Catalytic reactions are effective mechanisms for powering the autonomous movement of nano and micron-sized objects and even single molecules.

# Life at Low Reynolds Number

 $\mathcal{R} = \frac{\text{Inertial Force}}{\text{Viscous Force}}$ 

Forces at R << 1

- Viscosity (drag)
- Surface (interfacial tension)
- Diffusion (Brownian)
- Electrostatic (double-layer)
- F = ma is irrelevant

Scallop theorem: Propulsion by purely time-reversible reciprocal motion not possible

	505
	R = 10 <sup>4</sup>
$\mathcal{R} = 10^2$	$\mathcal{R} = 10^{-4}$

## **Designing Functional Nano/Microbots**

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- Movement Through Catalysis
- Cargo Loading, Transport, and Unloading
- Directional Movement Through Chemical Gradient (Chemotaxis)
- Emergent Collective Behavior Through Inter-Bot Communication via Chemical Signals

Scientific American, May, 2009

## **Platinum Blondes & Hot Rods**



J. Am. Chem. Soc., 2004

# **Nanorod Synthesis**



Aluminum oxide membrane

Ag evaporation

plating



Ag-filled Al<sub>2</sub>O<sub>3</sub> membrane





Electroplate Au and Pt

Mallouk et al.

#### **Fabrication of Janus particles**

#### Formation of monolayer



Au

Au/PS Janus particles

#### FESEM images of 1.5 $\mu$ m polystyrene/gold Janus particles



#### Allows selective loading and delivery of cargo from each face



## **Electrokinetic Propulsion**



## Autonomous Moving Nanorods (Real-Time)



 $2-\mu m Au/Pt rods in H_2O$ 

... in 2.5% H<sub>2</sub>O<sub>2</sub>

real-time video at http://research.chem.psu.edu/axsgroup/

First demonstration of nano/micromotors powered by catalysis outside biological systems

## **RELATIVE SPEEDS**

	Speed	Body lengths
	(km/h)	per second
Cheetah	111	25
Human	37.5	5.4
Bacteria (flagellar)	1.5x10 <sup>-4</sup>	10
Au/Pt	5.8x10 <sup>-5</sup>	10
Brownian motion	6.6x10 <sup>-7</sup>	0.3

Absolute speed limited by body size

## Directionality



d = center-to-center displacement

 $\theta$  = angle between direction particle is pointed and direction particle moves

Directionality Factor =  $\cos \theta$ 

Net Forward  $(v_z) = \cos \theta \times d$ 

### Speed vs. Directionality



For 2.0  $\mu$ m rods in 3.3%  $H_2O_2$ 

# H<sub>2</sub>O<sub>2</sub> Concentration Effects

$\% H_2O_2$	Average Speed (µm/s)	Directionality Factor	Net Forward (µm/s)
4.9	$7.7\pm0.9$	0.78	6.60
3.3	$\textbf{7.9} \pm \textbf{0.7}$	0.75	6.59
1.6	$5.5\pm0.6$	0.65	3.84
0.33	$5.0 \pm 0.4$	0.60	3.43
0.031	$3.9\pm0.5$	0.19	0.92
pure H <sub>2</sub> O	$3.3 \pm 0.5$	0.01	0.04

### WHAT DETERMINES O<sub>2</sub> PRODUCTION RATE?

- 1. Rate of diffusion of  $H_2O_2$  to the catalyst surface
- 2. Rate of  $H_2O_2$  decomposition -

Depends on catalyst turnover rate and surface area

Faster Pt/Au motors incorporate carbon nanotubes (Wang)



Higher velocity due to higher rate of peroxide decomposition at the CNT-Pt segment

**TEMPERATURE-MODULATED MOVEMENT** 

Thermally modulating and activating the motion



#### **High temperature Electrochemical Propulsion**

Faster kinetics of the fuel redox processes and lower solution viscosity associated with the heat pulse.

Wang, Small 2009

# **DIRECTION OF MOTION**



3.3-um Au/Pt rod (image capture) Same rod (video capture)

Moves Pt end forward: Excludes Bubble propulsion (momentum recoil)

Bubble Propulsion Catalytic Motors: Whitesides, Sanchez, Wang , Feringa

## **Electrokinetic Mechanism**



J. Am. Chem. Soc., 2006

J = current density  $\sigma$  = conductivity E = electric field

# **Measuring Current in Small Systems**

- Pt/Au motor
  - Interdigitated Array
    - baseline: <0.00001 A/m<sup>2</sup>
    - water: ~0.00001 A/m<sup>2</sup>
    - 0.6% H<sub>2</sub>O<sub>2</sub>:
    - $3\% H_2O_2$ : 0.53 A/m<sup>2</sup>

 $0.27 \text{ A/m}^2$ 

- Predicted Electric Field (E=J/σ)
  - $J = 0.53 \text{ A/m}^2$
  - $\sigma = 4.1 \ \mu S/cm$
  - E = 13.1 V/cm

Allows Prediction of Speed and Direction of Motion For Different Bimetallic Pairs *(Langmuir, 2006)* 



#### Tracking Data for Bimetallic Nanorods in 5 wt % Aqueous H<sub>2</sub>O<sub>2</sub> Solution

Bimetallic Nanorod	<mark>Speed</mark> (μm/s)	Directionality	Leading end (observed)	Leading end (predicted)
Rh-Au	23.8 ± 2.9	0.73 ± 0.15	Rh	Rh
Pt-Au	<b>20.0 ± 3.8</b>	0.84 ± 0.04	Pt	Pt
Pd-Au	15.3 ± 2.0	0.92 ± 0.05	Pd	Pd
Pt-Ru	30.2 ± 4.0	0.65 ± 0.11	Pt	Pt
Au-Ru	24.0 ± 2.0	0.90 ± 0.05	Au	Au
Rh-Pt	17.0 ± 3.0	0.79 ± 0.13	Rh	Rh
Rh-Pd	16.2 ± 1.8	0.84 ± 0.14	Rh	Rh
Pt-Pd	13.6 ± 2.3	0.63 ± 0.10	Pt	Pt
Ni-Au	4.75 ± 1.1	0.33 ± 0.12	Ni	Ni

Langmuir, 2006

### Effect of Ethanol on the Catalytically Generated Current Between a Platinum and a Gold Electrode

% Ethanol (v/v)	Current density <sup>a</sup> (×10² A/m²)	Axial velocity (μm/s)
0	2.61(3)	19
10	1.67(1)	8.8
20	1.21(2)	7.2
33	0.90(1)	5.6
90	0.278(3)	2.4
H <sub>2</sub> O <sup>b</sup>	0.0043(8)	-

<sup>a</sup>Current density calculated from measured current divided by the area of exposed platinum ( $2.62 \times 10^{-4} \text{ m}^2$ ). <sup>b</sup>H<sub>2</sub>O is the baseline current density in pure deionized water without added H<sub>2</sub>O<sub>2</sub> or ethanol.



Plot of axial velocities of Pt/Au rods vs. current density in ethanol/ $H_2O_2$  solutions



FIGURE 10. Electroviscous velocity normalized by zeta potential (units of  $\mu m s^{-1} m V^{-1}$ ) as a function of total proton flux out of anode surface  $J_{anode}$  (defined in the text) for data of Moran *et al.* (2010) ( $\Delta$ ) and current data ( $\Box$ ). These plots support the prediction of (3.61) that the ratio of velocity to zeta potential should scale linearly with the proton flux. Also note that the slope of the old and new data is essentially the same; this is expected because the constants in the scaling relationship ( $\lambda_D$ , h,  $D_+$ , etc) are unchanged from the old to the new simulations.

Posner, J. Fluid. Mech. (2011)

# **Rod Speed vs. Conductivity**



As conductivity *increases*, velocity should *decrease!* 



slowing due to decreased conductivity

PtAu rods; 3% H<sub>2</sub>O<sub>2</sub>



PtAu rods; 3% H<sub>2</sub>O<sub>2</sub>; 3 mM NaNO<sub>3</sub>





(Left) Simulation-generated plots of normalized proton concentration  $c^*$  (colors) and electrical potential  $\phi^*$  (contour lines)

(Middle) Charge density  $\rho_e / \rho_{e0}$  (color) and electric field (streamlines)

(Right) Reaction induced charge auto-electrophoresis (RICA) velocity magnitude (colors) and streamlines (black lines) for the case  $\zeta = -10$  mV and dimensionless flux  $j/j_d = 0.8$ .

The reactions lead to an asymmetry in the proton concentration such that an excess of protons builds up at the anode and protons are depleted at the cathode. The excess of protons results in positive charge density at the anode and the generation of electric field pointing from the anode to the cathode.

Posner, J. Fluid. Mech. (2011)





(A) A self-propelled bioelectrochemical motor consisting of a carbon fiber functionalized with glucose oxidase (GOx) and redox polymer I on one end and bilirubin oxidase (BOD) and redox polymer II on the opposite end. When the fiber is placed on a pH 7 buffer solution containing 10 mM glucose, electrons flow along the path  $glucose \rightarrow GOx \rightarrow I \rightarrow carbon fiber \rightarrow II \rightarrow BOD \rightarrow O_2$ , and the fiber is propelled at the solution- $O_2$  interface by the ion flow accompanying the flow of electrons. (B) When an insulator is introduced between the two electrocatalytic fiber ends, the fiber does not move.

N. Mano , A. Heller, J. Am. Chem. Soc. 2005

## **Relevance to Biological Systems**

- Examples of motility mechanisms:
  - flagellar systems (ATP motors) (*e. coli*)
  - polymerization systems (*listeria*)
  - unknown systems (synechococcus)<sup>a</sup>
- Our system may help understand how synechococcus bacteria swim



<sup>a</sup> Waterbury and Willey, *Science*, **1985**, *230*, 74-76.

# **Design of Magnetic Motors**



~1.5µm striped rods after release. Concavity permits designation of metal order

Following Whitesides (2003)

Angew. Chem., 2005
# Autonomous Magnetized Moving Rods Response to Magnet





~1.5 $\mu$ m striped rods moving in dilute solution of H<sub>2</sub>O<sub>2</sub>

Angew. Chem., 2005

Rod size and magnetic moments similar to magnetotactic bacteria

# **Effects of the Field**

	Not magnetized No field		In field
	$0\% H_2O_2$	5% H <sub>2</sub> O <sub>2</sub>	$5\% H_2O_2$
Directionality (0.1 sec)	0.0	0.5	0.4
Net forward	0.0	2.9	2.4
(µm/sec)			
Directionality	-	0.6	0.8
(2 sec)			
Rotational diffusion coefficient (deg <sup>2</sup> /sec)	200	2000	60

# **Demonstrating Micron Control**



Spelling "PSU" by hand, rotating a stack of NdFeB magnets to steer the magnetized rods while in a dilute solution of hydrogen peroxide

Other Magnetically Guided Catalytic Motors: Wang, Sanchez



*SMALL*, 2005



real-time video at http://research.chem.psu.edu/axsgroup/



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### **Transporting Cargo: The Vision**



Wang, ACS Nano (2009)

## **Attaching Payload to Nano/Micromotors**



Cargo attachment by:

(a) electrostatic interaction between the negative polypyrrole (PPy)

end of a platinum/gold/polypyrrole motor and a positively charged polystyrene (PS) amidine micro-sphere

(b) biotin-streptavidin binding between the gold tips of

platinum/gold rods functionalized with a biotin-terminated disulfide and streptavidin-coated cargo

Nano Lett., 2008

#### Other Cargo-carrying Catalytic Motors: Wang, Sanchez

## **Pt-Au-PPy with Amidine Microspheres**

Rod: 3 µm; Cargo: 2 µm

1000 x Dark Field Reflection Microscopy





Experimentally observed doublet speeds versus theoretical expectations based on calculations. The equivalent sphere radius  $R_{eq}$  of a rod (Pt-Au-PPy) or a rod-sphere doublet is the radius of a sphere which has the same drag coefficient.

R <sub>cargo</sub> (µm)	R <sub>eq</sub> doublet calculated by CDL- BIEM (µm)	Velocity ratio predicted by R <sub>eq</sub>	Experimentally observed velocity ratio ( U <sub>doublet</sub> / U <sub>rod</sub> )		
			I	Ш	Ш
0	0.46 - 0.53	NA	NA	NA	NA
0.38	0.59 - 0.65	0.78 - 0.81	$0.80\pm0.03$	$0.79\pm0.01$	$0.76\pm0.04$
0.60	0.76 - 0.81	0.61 - 0.66	$0.67\pm0.01$	$0.67\pm0.01$	$0.63\pm0.03$
1.05	1.14 - 1.18	0.40 - 0.45	$0.53\pm0.01$	$0.54\pm0.00$	$0.49\pm0.01$



Optical microscopy images of a Pt-Ni-Au-Ni-Au-PPy motor pulling 1.05  $\mu m$  radius cargo showing the trajectory over 4 sec

Nano Lett., 2008

# **From Motors to Micropumps**



• Suspended motor moves itself.



- Immobilized motor moves
   surrounding fluid
- Channel-free directed fluid
   flow

### **Catalytically Induced Fluidic Pumping-Marangoni Convection**







Real-time convective-motion of 2  $\mu$ m gold rods on Ag patterned gold surface at 500x<sup>\*</sup>



Real-time pattern formation of 1  $\mu$ m polystyrene spheres on Ag patterned gold surface at 500x<sup>\*</sup>

\*0.5% w/w aqueous solution of hydrogen peroxide

# **Microfluidics By Catalysis**

Convection and pattern formation not unique to gold and polystyrene!



Real-time movie of silica spheres 2.3  $\mu$ m in diameter exhibiting pattern formation on Ag patterned gold surface at 500x

# Colloid Behavior as a Function of the Surface Charge



Real-time convective-motion of amidine terminated polystyrene (2  $\mu$ m) spheres on Ag patterned gold surface at 500x

Real-time pattern formation of 1  $\mu$ m polystyrene spheres on Ag patterned gold surface at 500x<sup>\*</sup>

Why are polystyrene spheres of the same density behaving differently when only the colloid surface properties differ?



# Evidence In Support of Electrokinetics



Real-time movie of silica spheres 2.3  $\mu$ m in diameter pattern formation is now quenched on Ag patterned gold surface at 500x



Real-time movie of gold rods 2  $\mu$ m in length convection is now quenched on Ag patterned gold surface at 500x

It is possible to turn off the convection/pattern formation by electrically isolating the silver from the gold!

# **Possible Model**



Here silver carries out the reduction of hydrogen peroxide (cathode) and gold the oxidation of hydrogen peroxide (anode). The proton gradient establishes an electric current. *J. Am. Chem. Soc.*, **2005** 

### **BUBBLE POWERED SELF-PROPELLED MICROBOTS**



### **AUTONOMOUS TRAJECTORIES FROM TUBULAR MICROJETS**



Solovev et al., Small, 5, 1688 (2009)

### **DEPENDENCE ON FUEL CONCENTRATION**

#### Bubble recoil mechanism

#### OPTIMUM FUEL CONDITIONS



Solovev et al. Adv. Funct. Mater. 20, 2430 (2010)

### **CONTROLLED MOTION OF TUBULAR MICROJETS**



### PICK-UP, TRANSPORT AND DELIVERY OF CARGO

 EASY loading, transport of different microobjects.

2. POWERFUL MICROENGINE

3. Delivery in specific targets.



Solovev et al., Adv.Funct. Mat. 20, 2430 (2010)

### **SCALABILITY OF JET ENGINES**

Biggest Man made Jet Engine



#### Smallest Man made Jet Engine

2





The micromachine-based target isolation concept offers numerous potential bioanalytical applications Wang, Nano Lett. 2011

#### Wang, Angew. Chem. 2011

### **Selection and Isolation of Cancer Cells in Biological Fluids**



Immuno-micromachine for isolating CTCs Capture and transport of a CEA + pancreatic cancer cell by an anti-CEA mAb modified rocket

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**Required Design Elements** 

- Movement Through Catalysis
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- Emergent Collective Behavior Through Inter-Bot Communication via Chemical Signals

## Quorum-Sensing Autonomous Nano/Microbots

- Bots Secrete lons
- Electric Field Results from Different Diffusion Rates of the Cations vs. Anions
- Bots Move in Response to the Electric Field
- Bots Move Cooperatively in Response to Neighbors' Ion Gradients

Angew. Chem., 2009

#### DIFFUSIOPHORETIC MOTION OF PARTICLES BASED ON A GRADIENT OF ELECTROLYTE CONCENTRATION: ELECTROPHORESIS TENDS TO DOMINATE OVER CHEMOPHORESIS

$$U = \underbrace{\left(\frac{dLn(C)}{dx}\right)\left(\frac{D_{C} - D_{A}}{D_{C} + D_{A}}\right)\left(\frac{k_{B}T}{e}\right)}_{Electric \ Field} \underbrace{\frac{\mathcal{E}\left(\zeta_{p} - \zeta_{w}\right)}{\eta} + \underbrace{\left(\frac{dLn(C)}{dx}\right)\left(\frac{2\mathcal{E}k_{B}^{2}T^{2}}{\eta e^{2}}\right)\left\{Ln\left[1 - \tanh^{2}\left(\frac{e\zeta_{w}}{4k_{B}T}\right)\right] - Ln\left[1 - \tanh^{2}\left(\frac{e\zeta_{P}}{4k_{B}T}\right)\right]\right\}}_{Chemophoretic \ Term}}$$

U is the particle speed, dLn(C)/dx is the electrolyte gradient  $D_C$  and  $D_A$  are the diffusion constants of the cation and anion components  $k_b$  is the Boltzmann constant, T is the temperature, e is the elementary charge  $\epsilon$  is the solution permittivity,  $\eta$  is the dynamic viscosity of the solution,  $\zeta_P$  is the zeta potential of the particle,  $\zeta_W$  is the zeta potential of the wall ( $\zeta_W$  = 0 away from the wall)

Speed proportional to ion gradient and charge on the particle Under low Reynolds number conditions ( $R\sim10^{-5}$ ), the mass and radius of the particle are *not* important

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4 AgCl + 2 H<sub>2</sub>O  $\xrightarrow{h\nu, Ag^+}$  4 Ag + 4 H<sup>+</sup> + 4Cl<sup>-</sup> + O<sub>2</sub>

## **Emergent Collective Behavior Through Communication via Chemical Signals**



Silver chloride particles in deionized water undergo Brownian motion in visible wavelength light. After 2 sec, the UV light is switched on. Large schools of colloids form at longer times. Video plays in real time.

## **Emergent Collective Behavior Through Communication via Chemical Signals**



(a-c) AgCI particles in deionized water (a) before UV illumination,
(b) after 30 s of UV exposure, and (c) after 90 s.
(d-f) Simulation of AgCI particles in deionized water after (d) 0 timesteps,
(e) 250 timesteps, and (f) 750 timesteps.

#### Change in concentration at a given lattice site with time

(

$$\underbrace{C_{x,y}(t + \Delta t)}_{New \ Conc.} = \underbrace{(1-b)}_{Bulk \ Loss} \left\{ \underbrace{C_{x,y}(t)}_{Original \ Conc.} + \underbrace{an_{x,y}}_{Chemical \ Pr \ oduction} + \underbrace{D[C_{x+1,y}(t) + C_{x,y+1}(t) + C_{x,y-1}(t) - 4C_{x,y}(t)]}_{Diffusion} \right\}$$

)

Chemical gradient across a lattice site in x and y directions

$$\psi_{x} = C_{x+1,y}(t) - C_{x-1,y}(t)$$
$$\psi_{y} = C_{x,y+1}(t) - C_{x,y-1}(t)$$

Probability of hopping in a given direction, in addition to user-defined Brownian hop probability,  $\lambda_B$ 

$$\lambda_{x}(t) = \alpha |\psi_{x}|$$
$$\lambda_{y}(t) = \alpha |\psi_{y}|$$

The modified NetLogo program was run for 1000 time steps with schooling defined as 4+ particles occupying a single lattice site
# **A Typical Simulation Of Particle Collective Behavior**



- (a) Initially randomly distributed particles.
- (b) Particles after 2000 times-steps.
- (c) A plot of the chemical values of every lattice site at 2000 time-steps.

Brighter shades of green approaching white indicate higher chemical concentrations.

U. Wilensky, 1997. NetLogo: http://ccl.northwestern.edu/netlogo/ models/Slime











# **Predator-Prey: Silica Spheres Actively Seeking Out and Surrounding Phototaxing AgCI Particles**



Silver chloride particles (dark objects) with silica particles. When the UV light is switched on at 3 seconds, silver chloride particles begin to move and also attract silica particles. Video plays in real time.

# **Collective Particle Behavior**

## **New Design Principles**

- Two or more different particle types can move autonomously to organize themselves *spatially*
- Allows coordinated movement of dissimilar particles that are *not* attached to each other making it easier to transport and deliver cargo at designated areas

# Microfireworks with Silver Chloride Particles



Real time video The UV light is alternately turned on and off

Angew. Chem., 2009

## Oscillatory Behavior and Emergent Synchronization of Particles Under Redox Conditions





A solution containing AgCl particles (darker objects), silica tracer spheres (lighter objects), and 1% (v/V)  $H_2O_2$  in water. The particles are illumined with UV light over a microscope slide. The AgCl particles are seen to move through solution, and alternately bind and release the silica tracer particles. The video is 194 µm in width. Movie plays in real-time.



A UV-illuminated aqueous solution containing 2.3  $\mu$ m silica tracer particles, 0.33 mM HCl, and 0.17% (v/V) H<sub>2</sub>O<sub>2</sub> is imaged above an array of 9  $\mu$ m diameter silver disks with 11  $\mu$ m spacings.

As a traveling wave of tracer particle motion passes the array, the disks appear to flash on and off as their color alternates between reflective silver and darkened AgCI.



Current from a 90  $\mu$ m silver disk patterned on a SiO<sub>2</sub> wafer in the presence of 0.17% (v/V) H<sub>2</sub>O<sub>2</sub>, 0.17 mM HCI and silica tracer spheres, under UV illumination. After a few seconds of illumination, current oscillations are recorded which match the oscillations of tracer particles. Negative currents are oxidative with respect to the silver surface. **Inset**, the 90  $\mu$ m diameter silver disk connected to an insulated silver wire that monitored the reaction current on the disk surface.

## Real Time Video: Solution containing AgCI particles and 1% H<sub>2</sub>O<sub>2</sub> in water under UV illumination



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Scientific American, May, 2009

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# Movement Due to External Salt Gradient: Oil Reservoir Salinity: 50,000 – 150,000 ppm

# Directions of Particle and Fluid Flow Components in Diffusiophoresis

Assumption: Particle and underlying substrate are negatively charged, and  $D_2 > D_+$  (e.g. NaCl)



#### DIFFUSIOPHORETIC MOTION OF PARTICLES BASED ON A GRADIENT OF ELECTROLYTE CONCENTRATION



Migration of silica microspheres (d = 2.3 μm) towards a gel containing 1 mM NaCl



Migration of silica microspheres (d =  $2.3 \mu m$ ) in competing concentration gradients of NaCl solution



Silica microspheres (d =  $2.3 \mu m$ ) navigating past glass fiber barriers in response to an agarose gel containing 1 mM NaCl (located to the right of the field of vision in both images)



Silica tracer particles (d =  $2.34 \mu m$ ) preferentially migrate towards NaCl-leaching gel. Gels contain 10 mM D-glucose (left) and 1mM NaCl (right).

#### Silica Particles in The Presence of an Agarose Gel Soaked in 1 mM NaCl

			Along the Gradient		Orthogonal to Gradient	
Particles			Average Velocity (x)	SD	Average Velocity (y)	SD
2.34µm	∼200 µm from gel	1 mM NaCl	1.32	0.27	-0.056	0.21
		1 mM KCI	0.97	0.16	-0.024	0.15
0.90µm	∼200 µm from gel	1 mM NaCl	1.32	0.32	-0.020	0.26
		1 mM KCI	0.93	0.29	-0.049	0.23

Speed:  $\mu$ m/sec

#### Experimental Setup for Particle Movement in an Electric Field



### Comparison of Movement in an Applied Electric Field to Diffusiophoretic Migration



# **Microfluidic Setup**



## Chemotaxis of Carboxylated Polystyrene Nanospheres



### Comparison of Movement in an Applied Electric Field to Diffusiophoretic Migration



#### Theoretical Determination of Electric Field Strength Required to Match Observed Diffusiophoretic Velocity

Smoluchowski Equation:

$$\mathbf{E} = \frac{\mathbf{U}\boldsymbol{\eta}}{\varepsilon\boldsymbol{\zeta}}$$

- U: velocity
- η: viscosity
- ε: permittivity
- $\zeta$ : zeta potential of particles

#### Result: Assuming $\zeta$ = -60 mV, diffusiophoretic velocity of 12.6 µm/s requires an electric field of 4.12 V/cm

Under low Reynolds number conditions, diffusiophoretic velocity independent of radius of the particle

# **Microfluidics Modeling**



- Simple channel, purely unidirectional laminar flow assumed
- Wall effects ignored (floor effects not ignored)
- Chemicals and particles diffuse in across the channel (y-direction) according to Fick's laws (1D-diffusion)
- Chemical and particles flow down the channel (x-direction) at a given constant rate
- Particles react to their chemical environments and move accordingly across the channel (y-direction, 1D)

# Modeling Diffusiophoresis



#### **User Defined Parameters**

- Incoming particle number density
- Incoming chemical concentration (Molar)
- Flow rate
- Particle diffusion constants:  $D = \frac{k_B T}{6\pi\eta a}$ 
  - /T)
  - Temperature (T)
  - Viscosity (η)
  - Particle Size (a<sub>active</sub> , a<sub>inactive</sub>)

- Monovalent ion diffusion constants
  - Salt as a whole diffuses with a diffusion constant equal to the harmonic average of these.
- Zeta potentials of particles and underlying substrate (z-direction)
  - Potentials of walls at max and min y direction are ignored.

# Modeling Salt Gradients in a Microfluidic Flow



Average Particle Count at Specified Location



- Ion sensitive colloidal particles
- Non-ion sensitive particles



# Migration as a Function of Diffusion Constants



# Good Agreement Between Modeling and Experimental Microfluidics Data



#### Effect of Particle Zeta Potential on Particle Movement in Microfluidic Channel

#### Varying Particle Zeta Potential



Distance from channel inlet (microns)

### **Calculating Theoretical Diffusion Profile**

$$\frac{\partial \phi}{\partial t} = D \frac{\partial^2 \phi}{\partial x^2}$$

The rate of change in the concentration at any point depends on the difference between the fluxes entering and exiting that point.

Fick's Second Law

$$C(x,t) = C_{S}\left[1 - \frac{2}{\sqrt{\pi}}\int_{\frac{x}{2\sqrt{Dt}}}^{\infty} e^{-n^{2}}dn\right]$$

Assuming a perfect source of electrolyte with a concentration of  $C_S$  diffusing into an infinite water bath. Assume the water bath starts out without any electrolyte

$$U = \underbrace{\left(\frac{dLn(C)}{dx}\right)\left(\frac{D_{C}-D_{A}}{D_{C}+D_{A}}\right)\left(\frac{k_{B}T}{e}\right)}_{Electric \ Field} \underbrace{\frac{\varepsilon\left(\zeta_{p}-\zeta_{w}\right)}{\eta}}_{Electric \ Field} + \underbrace{\left(\frac{dLn(C)}{dx}\right)\left(\frac{2\varepsilon k_{B}^{2}T^{2}}{\eta e^{2}}\right)Ln\left[1-\tanh^{2}\left(\frac{e\left(|\zeta_{p}|-|\zeta_{w}|\right)}{4k_{B}T}\right)\right]}_{Chemophoretic \ Term}$$

Using the electrolyte profile calculated above, we can calculate the speed if we know the temperature, diffusion constants, and zeta potentals



#### **Concentration vs Time at 3 Distances from Source**

Assuming Average D = 1x10<sup>-9</sup> m<sup>2</sup>/s Source Concentration = 1 M


**Concentration vs. Distance from Source at 3 Different Times** 

Assuming Average D = 1x10<sup>-9</sup> m<sup>2</sup>/s Source Concentration = 1 M

## **Possible Relevance to Oil Recovery**



Flush the well with fresh water

Some pockets of salt water remain in crevices



Those pockets of high salt will diffuse out, creating an electric field that acts on all charged surfaces, including exposed oil-water interfaces



### LoSal Enhanced Oil Recovery (BP)



6 | Frontiers | August 2009

#### BP, Frontiers, August, 2009

# **Movement Through Polymerization**

## **Actin Polymerization**

From: Int. J. Biol. Sci. 2007, 3:303-317



### **Polymerization-Powered Micromotors**

These Motors Utilize Asymmetrically Bound Grubbs-type Catalyst On Au/Silica Janus Microspheres To Convert Monomer Into Polymer



Monomer

**Polymer** 





## **Particle Comparison**

#### **Before Polymerization**

#### **After Polymerization**



Diffusion Coefficient of Gold/Silica-Grubbs Particles in Norbornene



Note: Polymer Formed Dissolves in Solvent, Does Not Precipitate Out

#### Osmophoretic Mechanism (Anderson, Golestanian, Kapral, Brady, Showalter, ..)



The motor consumes monomers at the silica face creating an area of low monomer concentration Fluid in the low concentration region flows *towards* the higher concentration region at the gold face. Consequently, the motor moves in the *opposite* direction

#### **Does Enhanced Diffusion with Increasing Substrate Concentration Translate into Directed Motion:** *Chemotaxis*?



#### **Chemotaxis of Polymerization-Powered Motors**



Normalized particle population at the gel edge as a function of time: The motor particles in a norbornene gradient (red) Unfunctionalized Au-Silica Janus spheres in norbornene gradient (blue) Motor particles in a norbornane gradient (green)

Angew. Chem., 2011

#### Substrate Catalysis Enhances Single Enzyme Diffusion



J. Am. Chem. Soc., 2010



Mean square displacement (MSD) of urease obtained from Brownian dynamics simulations,

assuming 10 nanosecond impulse time per reaction:

No reaction (*black*)

Maximum reaction rate assuming a force of 12 pN/turnover (*red*) Solid lines are linear fits at longer time scales.

J. Am. Chem. Soc., 2010



Relative diffusion coefficient of catalase obtained from Brownian dynamics simulations, *assuming 10 nanosecond impulse time per reaction* :

Maximum reaction rate assuming a force of 9 pN/turnover (red)



## **Single Enzyme Chemotaxis**



Y-shaped microfluidic channel used for single-molecule enzyme chemotaxis studies





Shift for catalase towards 100 mM glucose and glucose oxidase

#### Behavior of Free Dye Molecules towards Different Substrate Concentration Gradients



### **Applicability of the Scallop Theorem**



1. Sakaue, T.; Kapral, R.; Mikhailov, A. S. *Eur. Phys. J. B* 2010, *75*, 381–387 2. Golestanian, R. *Phys. Rev. Lett.* 2010, *105*, 018103(1)-018103(4)



A) The reciprocal swim cycle of an unperturbed scallop opening and closing its shell.

B) The motion path of a similar swimmer which undergoes a single rotation *after* it has traveled a distance (*d*) into its cycle.

The *forward* paths are shown in red, the *return* paths are shown in blue.

Also, Lauga, PRL, 2011



## Designing Intelligent Nano/Microbots: Synthetic Active Matter

- **1. Introduction to Synthetic Active Matter**
- 2. Powering Active Particle and Fluid Motion
- 3. Collective Behavior of Autonomous Nano/Microbots

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## **Intelligent Catalytic Motors**

Intelligence requires (a) information and (b) ability to process (act on) information – information processor

**Information: Gradient – Chemical, Light** 

**Information processor: Self-powered object** 

Result of Information + Information Processing: Collective/Emergent behavior e.g., Spatial and/or Temporal Assemblies

**Both** information and information processor require continuous input of energy

Information Processor can *change* the Information e.g., Assume an initial fuel gradient: Higher the motor density  $\rightarrow$  Faster fuel consumption  $\rightarrow$ Steeper fuel gradient  $\rightarrow$  More directional (& faster) chemotaxis



# Artists drawing of a nanoscale submarine moving through a human capillary.

- taken from Audi Magazine, 10/03