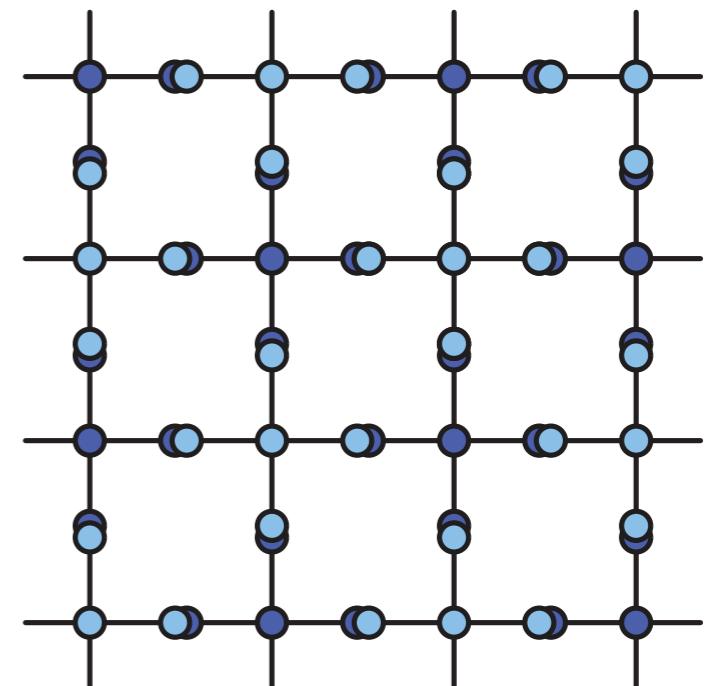


Engineering artificial gauge fields with ultracold atoms - part I

Monika Aidelsburger

Ludwig-Maximilians Universität München
Munich Center for
Quantum Science & Technology

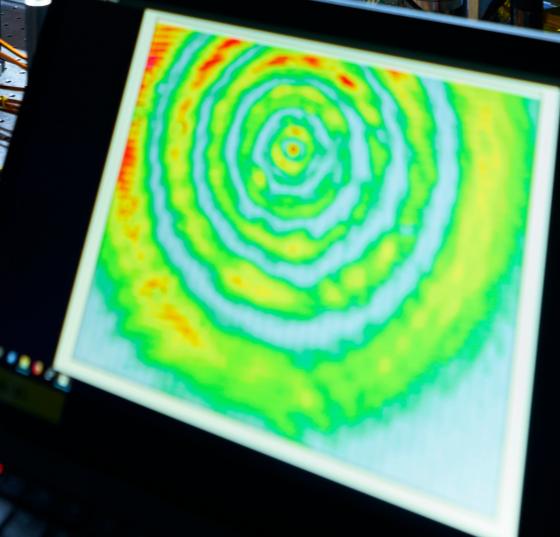


Cs lab

Science cell:
 $\sim 10^{-11}$ mbar
 $\sim nK$

Zeeman slower &
magneto-optical trap: $\sim \mu K$

Atom
source

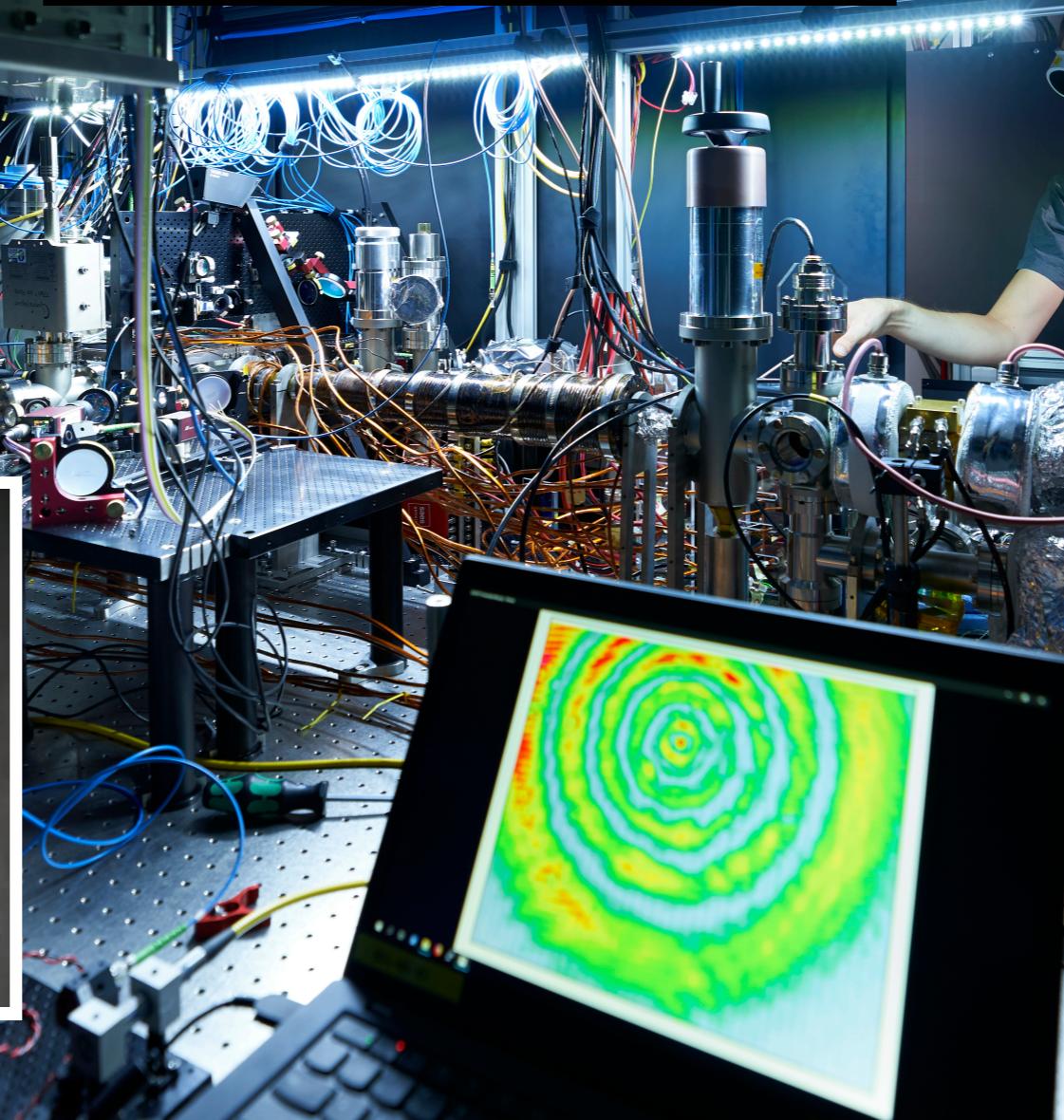


Cs lab



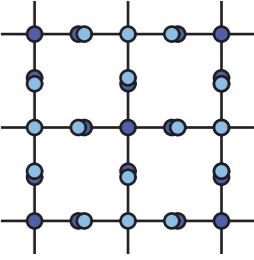
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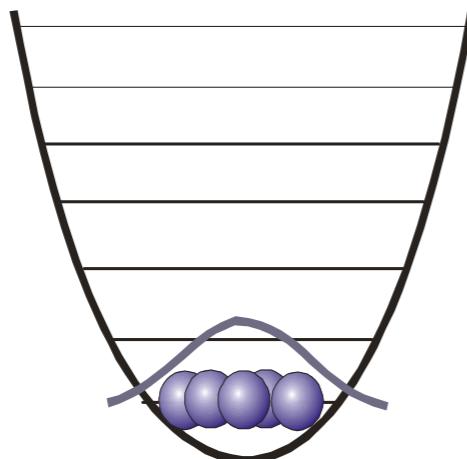
Atom
source

Laser cooling

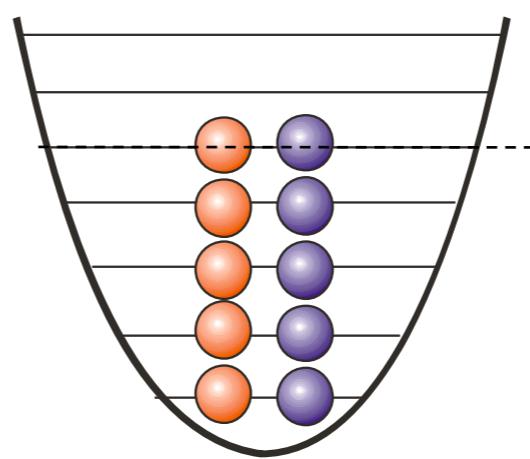


Cooling to quantum **degeneracy**
(laser and evaporative cooling)

Bose-Einstein
condensate



degenerate
Fermi gas

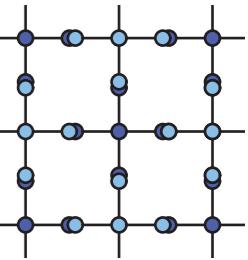


$$E_F = k_b T_F$$

- spin ↑
- spin ↓

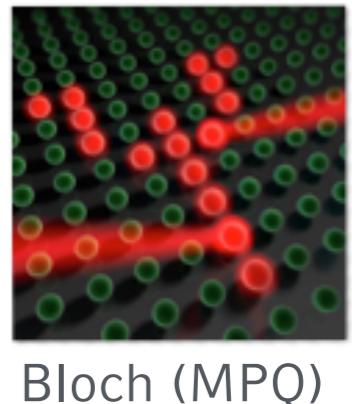
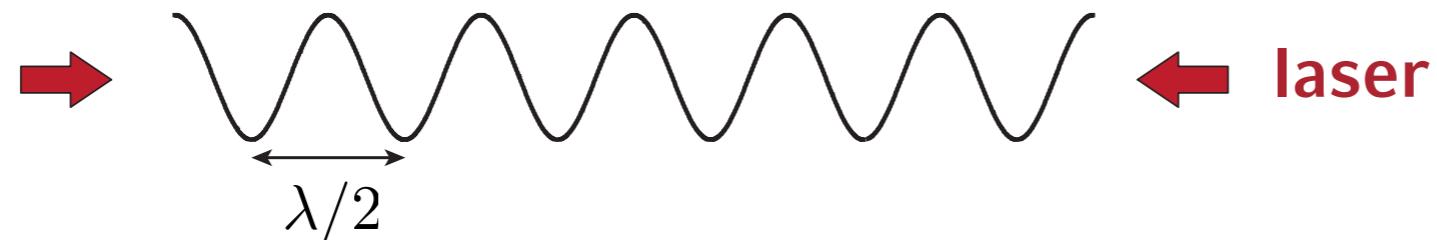
Adiabatic preparation of many-body ground state in optical lattice

Quantum simulation with ultracold atoms



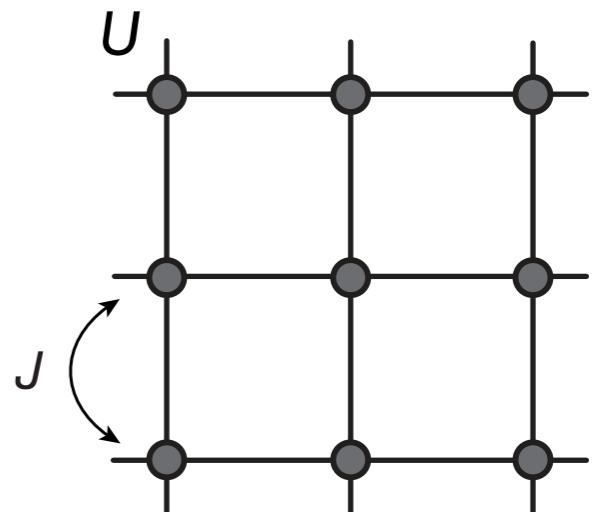
Ultracold atoms in optical lattices:

- Confined in artificial crystals of light (AC Stark effect)

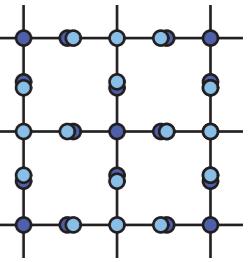


- **Bose-/Fermi-Hubbard** model

$$\hat{H} = -J \sum_{\langle i,j \rangle} \hat{a}_i^\dagger \hat{a}_j + \frac{U}{2} \sum_i \hat{n}_i (\hat{n}_i - 1)$$

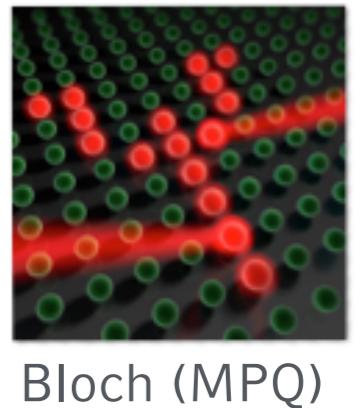
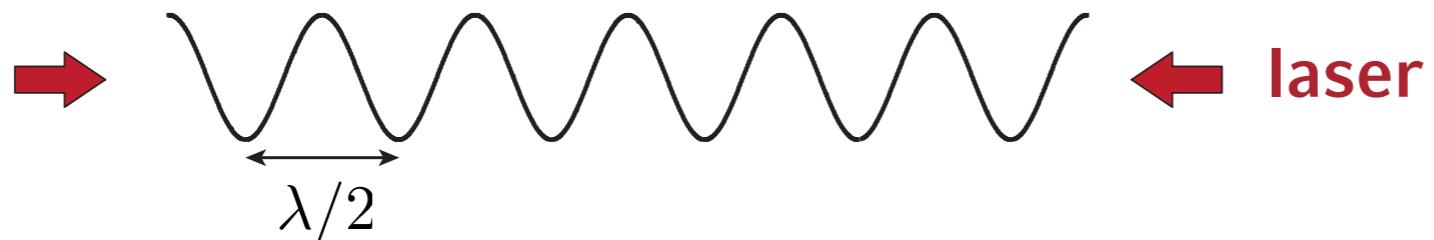


Quantum simulation with ultracold atoms



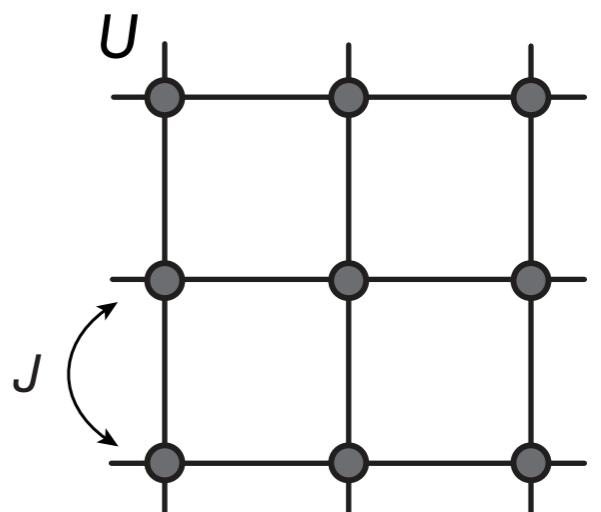
Ultracold atoms in optical lattices:

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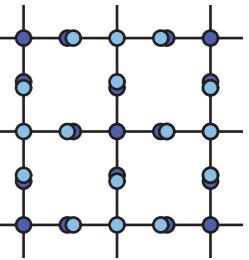


- Well-isolated from environment
- Control over microscopic parameters

analog quantum Simulation
of condensed matter models

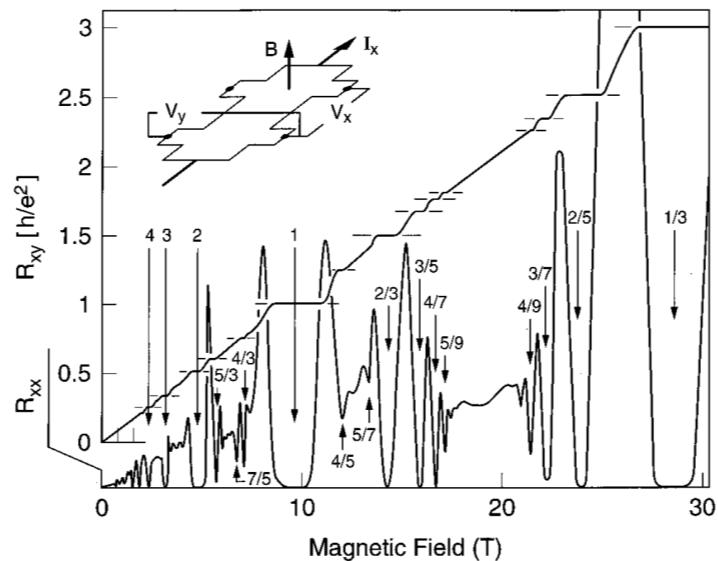


Topological phases of matter

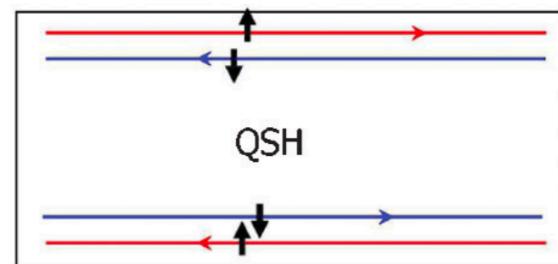


Integer & fractional quantum Hall insulators

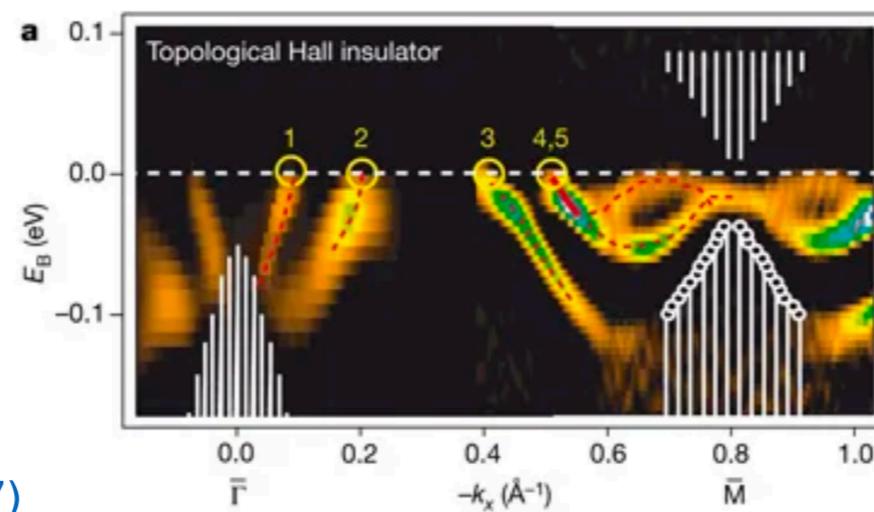
K. Klitzing, Rev. Mod. Phys. (1986)
H. L. Stormer et al.,
Rev. Mod. Phys. (1999)



Topological insulators in 2D & 3D

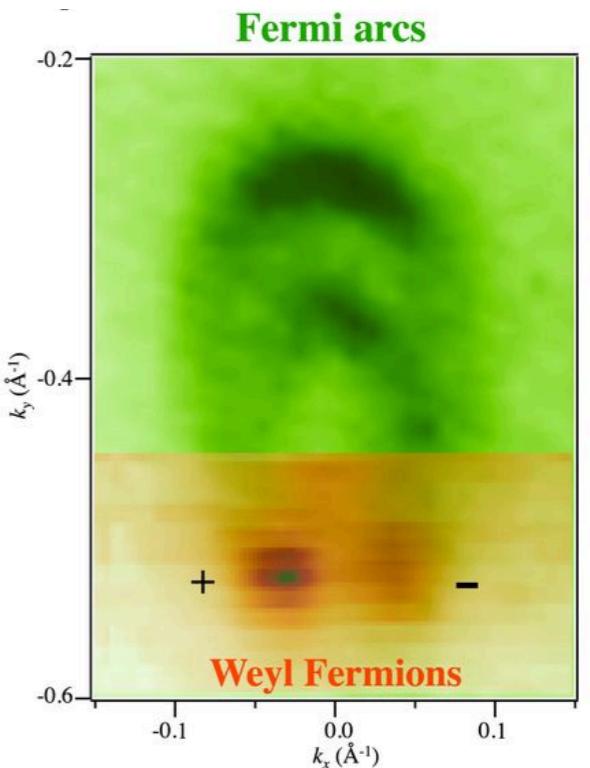


M. König et al., Science (2007)
A. Roth et al., Science (2009)



D. Hsieh et al., Nature (2008)

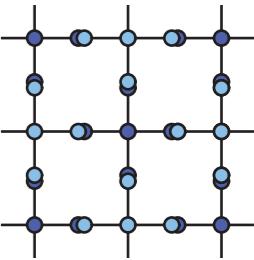
Weyl semimetals



L. Lu et al., Science (2015)
S.-Y. Xu et al., Science (2015)

...

Floquet engineering

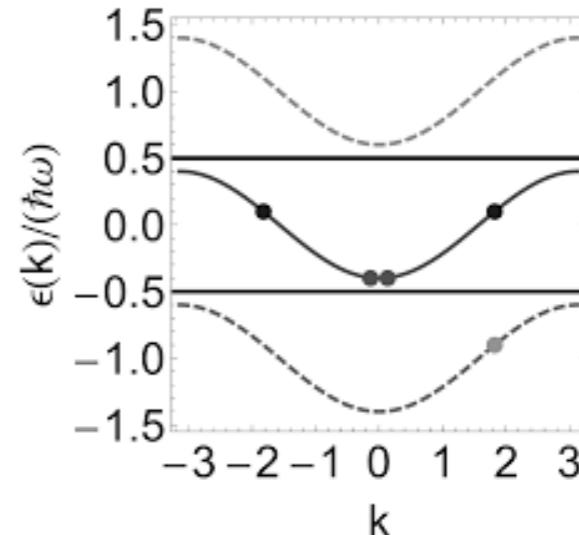


Basic idea:

- Time-periodic driven Hamiltonian

$$\hat{H}(t) = \hat{H}(t + T)$$

T : driving cycle



- *Stroboscopic* time evolution governed by *time-independent Floquet Hamiltonian* \hat{H}^F

$$\hat{U}(T, 0) = \exp\left(-\frac{i}{\hbar}T\hat{H}^F\right)$$

⇒ Engineer **Floquet Hamiltonian** with desired properties!

Experimental
realizations - see notes