Active contractility of adherent cells

Ulrich Schwarz

Heidelberg University Institute for Theoretical Physics and BioQuant







Retrograde flow in keratocytes



[Barnhart et al. PLoS Biol 2011]

Myosin II drives retrograde flow

cell reference frame (actin polymerization)



[Barnhart et al. PLoS Biol 2011]

Initiation of cell migration by Rho-optogenetics



Cells on lines. Activating cell contractility by Rho-optogenetics at one side initiates/reverses cell migration. The contracting side becomes the back of the cell.



[Hennig et al. Science Advances 2000]

Neutrophil reversal by optogenetics





Optogenetic stimulation of the G-protein downstream of the chemotactic receptor at the back reverses 1D migration in channel. Cells strong in myosin II at the rear do not reverse.

[Hadjitheodorou et al. Nat Comms 2021]

Active gel theory for optogenetic control of migration of contractile cells



- Mesenchymal cell migration requires polarization and retrograde flow.
- This in turn requires a gradient in myosin concentration.
- Can we switch between sessile and motile states by optogenetics of contractility?

Minimal active gel model for migration of contractile cells

Active gel with flow field v(x,t) and myosin concentration field c(x, t)

Active stress c-dependent: $\sigma_{act} = \chi c$ Constitutive relation: $\eta \partial_x v = \sigma - \chi c$

Force balance:

$$\partial_x \sigma = \xi v$$

Active viscous gel:

 $\frac{\eta}{\xi}\partial_x^2\sigma = \sigma - \sigma_{act} = \sigma - \chi c$

Advection-diffusion of myosin concentration: $\partial_t \mathbf{c} = -\partial_x (\mathbf{v}\mathbf{c}) + \partial_x (\mathcal{D}(\mathbf{c})\partial_x \mathbf{c})$ Nonlinear diffusion coefficient of vdW fluid: $\mathcal{D}(c) = D \left[\left(1 + \frac{c}{c_{\infty} - c} \right)^2 - e_A c \right]$



Switching migration by optogenetics



Minimal active gel model for coupling actin flow and adhesions

Active gel with flow field v(x,t) and with adhesion field a(x,t)

Active stress constant:

Constitutive relation:

Force balance:

Stress equation:

$$\sigma_{act} = const$$

$$\sigma(x,t) = \eta \partial_x v(x,t) + \sigma_{\rm act}$$

$$\partial_x \sigma(x,t) = \xi v(x,t) \left(a_0 + a(x,t) \right)$$

$$\frac{\eta}{\xi}\partial_x \left(\frac{\partial_x \sigma(x,t)}{a_0 + a(x,t)}\right) = \sigma(x,t) - \sigma_{\rm act}$$

Reaction-diffusion of adhesion field: $\partial_t a(x,t) = r_{\rm on} - r_{\rm off}(x,t)a(x,t) + D\partial_x^2 a(x,t)$ Bell-Dembo dissocation rate: $r_{\rm off}(x,t) = r_0 \exp\left(\frac{|\sigma(x,t)|}{f_0 (a_0 + a(x,t))}\right)$

[Wössner, Drozdowski, Ziebert and Schwarz, New J Phys 2024]

Bistability between motile and sessile solutions requires balance of association and dissociation



sessile

motile

Changes in adhesion can also switch cell migration



A certain percentage of the adhesion is removed in the sessile state. For intermediate values, the cell switches into the motile state, as observed experimentally by Hennig et al. Sci Adv 2020.

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